REQUIRED SUMMER WORK FOR HONORS PRECALCULUS Teacher – Mr. Yates

This summer work includes both review topics and some new topics. One of the goals of summer work is to have you practice and reinforce skills you already have; the other primary goal is to have you work independently to learn new skills. These goals are essential to honors students.

All problems are to be completed neatly, with answers in appropriate spaces. Appropriate work and/or explanation should be shown in the spaces provided.

If the difficulty of this work is overwhelming, you should consider a regular academic class rather than honors. In the academic classes, we will spend more class time on these topics rather than accelerating ahead to other things. If you are weak in any of your fundamental math skills or if your dedication to academics is not up to par, you will not fully benefit from taking an honors course.

If you have any questions, feel free to email me at *jyates@bloomsd.k12.pa.us* Please type "summer honors work" in the subject line. I try to check my email at least once a week over the summer. Do not wait until the week before school to email me with a concern.

Have a good summer, and I will see you in August!

For each relation, state the <i>domain</i> and <i>range</i> ; is it a function? (yes or no)							
1. {(-1,2), (3,10), (-2,20), (3,11)}	2. $\{(0,2), (13,6), (2,2), (3,1)\}$						

Given
$$f(x) = |3x-4|+5$$
, find each value.

...

3.
$$f\left(\frac{1}{3}\right)$$
 4. $f(-2)$ 5. $f(2)$

Name all values of x that are <u>not</u> in the domain of the given function.

6.
$$f(x) = \frac{x-2}{x+3}$$
 7. $f(x) = \frac{1}{|2x+5|}$ 8. $f(x) = \frac{x^2+9}{x^2-16}$

Use the vertical line test to determine if each relation is a function. (yes/no)



Find the zero of each function.

18.
$$f(x) = 2x + 10$$

1) *d*=_____ γ=_____ 2) *d*= *γ*=____ 3)_____ 4)_____ 5)_____ 6)_____ 7) 8)_____ 16)_____ 17)_____

19.
$$f(x) = \frac{2}{3}x - 12$$

18)_____

19)_____

name

Graph each equation or inequality.



28)

28. Collinear points lie on the same line. Find the value of k for which the following points are collinear: (k,3), (-3,2), (-1,1)

29-34: Write two equations for each line, one in <i>slope-intercept</i> form $y = mx + b$ and one in <i>point-slope</i> form $(y - y_1) = m(x - x_1)$.	
29. slope = 5; passes through the point (3,-2)	29)
30. passes through the points (3,11) and (-6,5)	30)
31. x-intercept = 3; y-intercept = 2	31)
32. passes through the points (3,3) and (6,3)	32)
33. parallel to the line $y = -2x + 5$ and passes through the point (1,4)	33)
34. perpendicular to the line $y = 2x+6$; passes through the point (0,9)	34)

35. Are the graphs of 4x + 3y + 6 = 0 and $y = \frac{4}{3}x + 3$ parallel, perpendicular, or neither? Why?

38. Find the perimeter of \triangle ABC if the vertices are A(3,2), B(3,-6), and C(6,-2) (hint: distance)

39. Solve the system by graphing, identify the intersection.

$$\begin{cases} 3x - y = 6\\ y = -x + 6 \end{cases}$$



Solve each system of equations algebraically. (elimination or substitution)

40.
$$\begin{cases} 3x - 2y = 7 \\ y = -x + 4 \end{cases}$$
 41.
$$\begin{cases} 4x - 3y = 15 \\ y = -2x + 5 \end{cases}$$
 40)_____

42.
$$\begin{cases} 3x + 4y = 8 \\ -3x - 4y = 10 \end{cases}$$
43.
$$\begin{cases} 3x - 2y = -9 \\ 4x + 5y = 11 \end{cases}$$
42)____

41)_____

44. $\begin{cases} x - 2y + z = 7\\ 3x + y - z = 2\\ 2x + 3y + 2z = 7 \end{cases}$

44)

45. The angles of a triangle meas	45) $x =$		
write a system of two equations to	o represent the situation and solve for x and y .		
		<i>y</i> =	
46. Graph the system of inequali	ties, identify the vertices of the polygon.		
v > 0		46) four vertices:	
$y \ge 0$ y > 1			
$x \ge 1$ y + y < 6			
$x + y \le 0$			
$3x + y \leq 12$			
			
47-58: Simplify completely.		47)	
$47. 3v^7 \cdot 2v^3 \cdot 5v^2$	48 $(2x^4y^2z)^3$		
11. <i>3y 2y 3y</i>		48)	
49. $\frac{18m^3n^3}{2m^7}$	50. $(3a^4c^{-2})^3(-3ac^3)^2$	49)	
$-9mn^{*}$		50)	
		/	
51. $\sqrt{27r^4s^5}$	52. $\sqrt[3]{8m^6n^9}$	51)	
		52)	
53. $\frac{\sqrt{5}}{\sqrt{5}}$	54. $\sqrt{-147}$	52)	
$\sqrt{12}$		55)	
		54)	
2	-5	55)	
55. $27^{\frac{2}{3}}$	56. $64^{\frac{3}{6}}$	<i></i>	
		56)	
		57)	
57. $(2r+7)^2$	58. $(c+4)(c-3)(c+3)$	<i></i>	
× /		58)	

Factor completely.

59. $6x^2 - 2x - 20$ 60. $x^3 + 3x^2 - 4x - 12$

60)_____

59)

63)_____

64)

65)____

5

x	-3	-2	-1	0	1	2	3	4	
f(x)									

61. Fill in the table for the function $f(x) = x^3 - 4x^2 - x + 4$

63. Write a function that has roots at x = 2, 6.

64-65: Solve by the quadratic formula.

64. $2x^2 + 8x + 26 = 0$

65. $5x^2 - 3 = -7x + 8$ (round answers to hundredths)

66. Using the function: $y = x^2 - 4x - 5$. Fill in the table with values, then graph.

x	-2	-1	0	1	2	3	4	5	6
у									

Identify the roots of the function

67. Given that -3 is a root of the function $h(x) = x^3 + 2x^2 - 5x - 6$, use synthetic division and factoring to identify the other roots.

67)_____

68. List all of the Trigonometric Ratios for angle A



76) *m∠B* =

c =